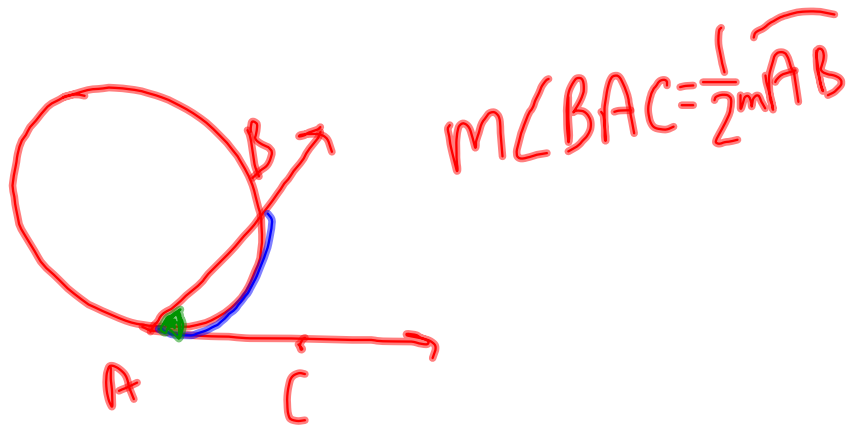
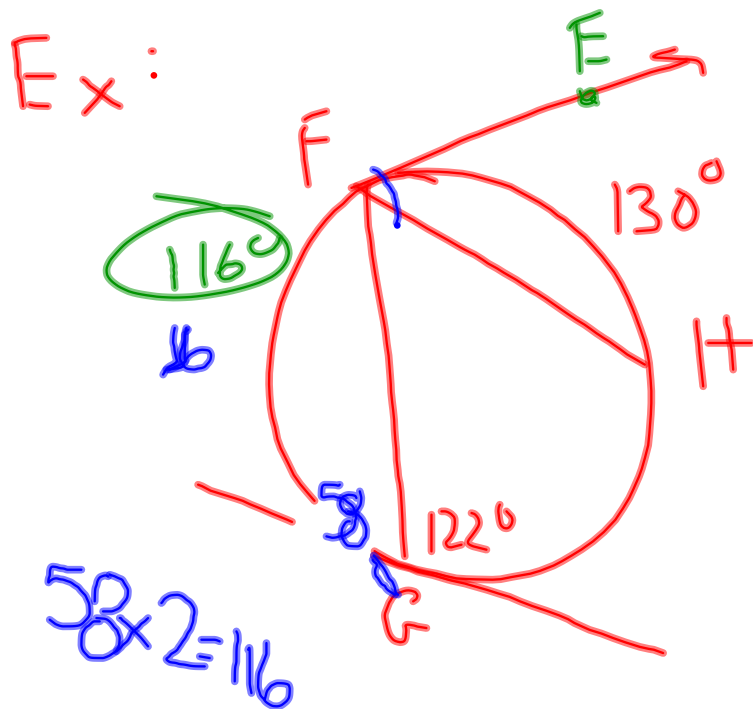


11-5 \angle relationships in \odot

Theorem 11-5-1: if a tangent and secant intersect a circle at the pt. of tangency, then the measure of the \angle formed is $\frac{1}{2}$ the measure of the intercepted arc.





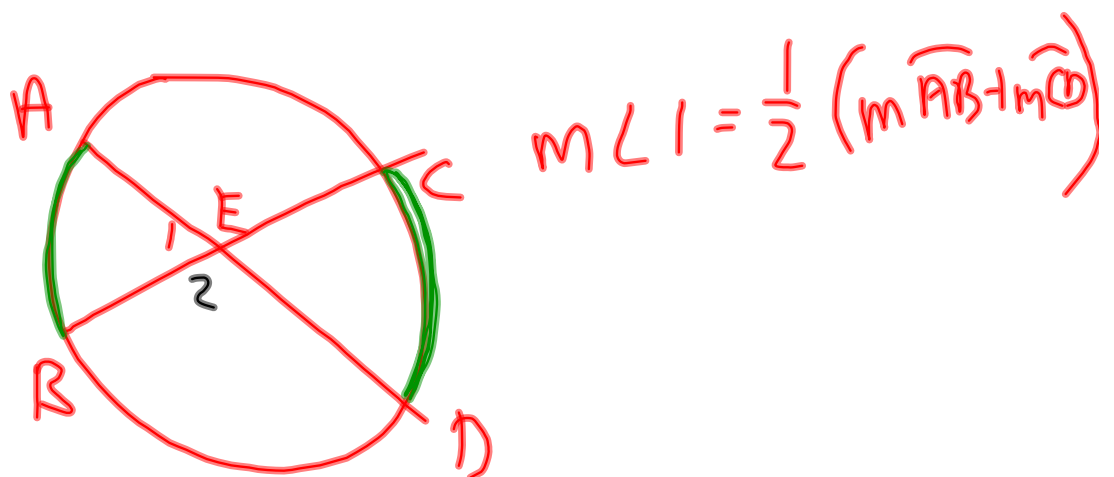
$$m \angle EFH$$

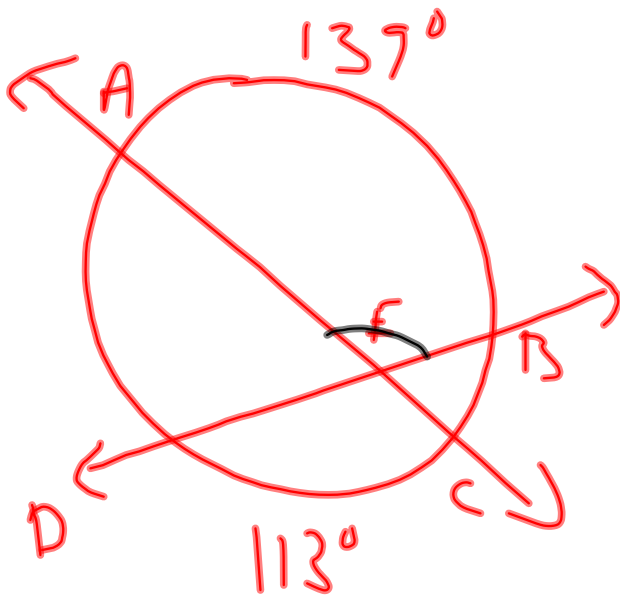
$$130 \div 2 = 65$$

$$m \widehat{FG}$$

$$180 - 122 = 58$$

Theorem 11-5-2: if 2
secants (or chords) intersect
in the interior, then the measure
of each \angle formed is $\frac{1}{2}$ the
sum of the measures of its
intercepted arcs.





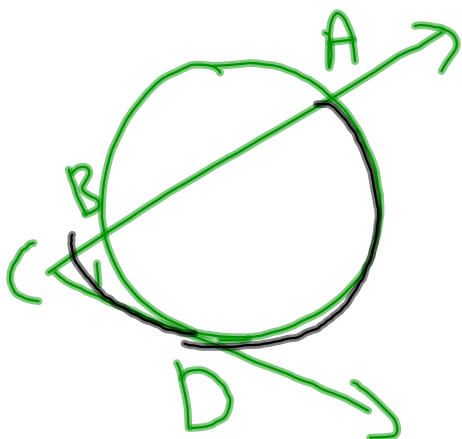
$m\angle AEB$

$$\frac{1}{2}(139 + 113)$$

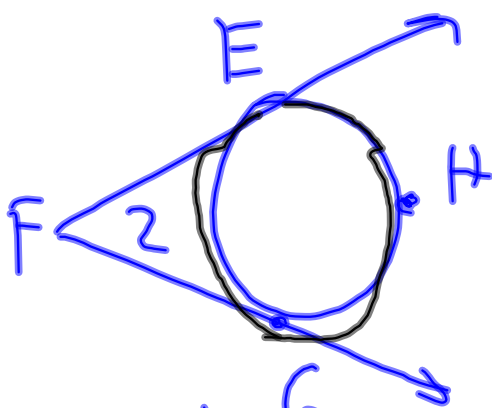
$$= 126^\circ$$

Theorem 11-5-3

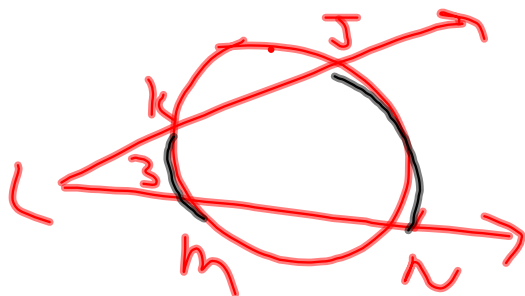
if a tangent + secant, 2 tangents,
or 2 secants, intersect in the
exterior, then the measure of
the \angle formed is $\frac{1}{2}$ the difference
of the measures of the intercepted
arcs.



$$m\angle 1 = \frac{1}{2} (m\widehat{AD} - m\widehat{BD})$$

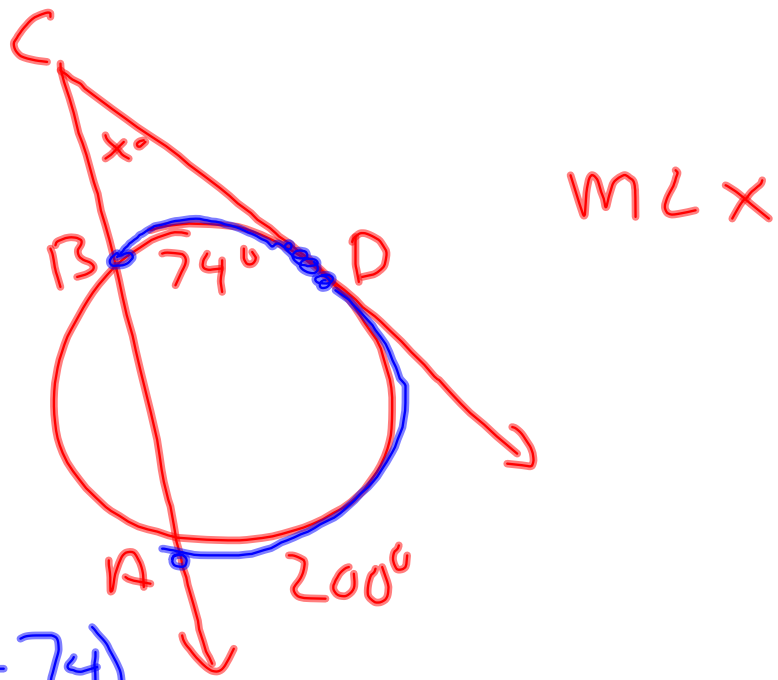


$$m\angle 2 = \frac{1}{2} (m\widehat{EHG} - m\widehat{EG})$$



$$m\angle 3 = \frac{1}{2} (m\widehat{JN} - m\widehat{KN})$$

Ex:



$$m\angle x = \frac{1}{2}(200 - 74) \\ = 63^\circ$$

p. 786

2-30 even,

odds extra credit