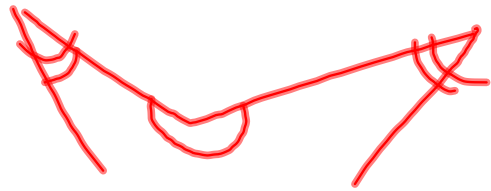


$$33. \frac{(n-2)180}{n} = 4 \cdot \frac{360}{n}$$

$$(n-2)180 = 4 \cdot 360$$

$$\frac{(n-2)180}{180} = \frac{1440}{180}$$



$$n-2 = 8$$

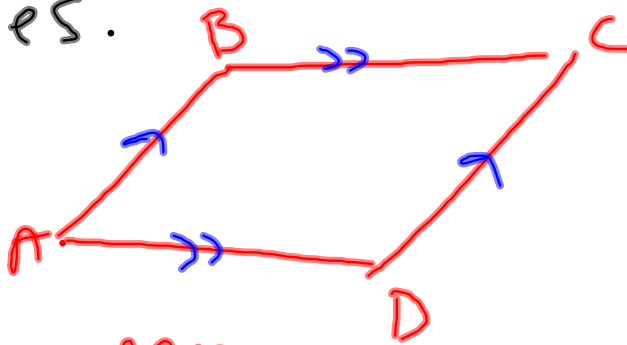
+2 +2

$$n = 16$$

$$0 + 5 + 6 = 11$$

6.2 Parallelograms


- a quadrilateral with \parallel opposite sides.

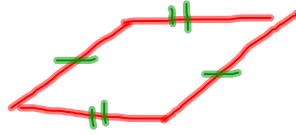


parallelogram ABCD
 $\square ABCD$

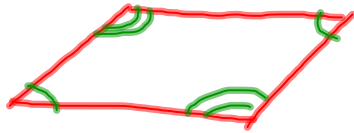
$$\overline{AB} \parallel \overline{CD}$$
$$\overline{AD} \parallel \overline{BC}$$


Theorems

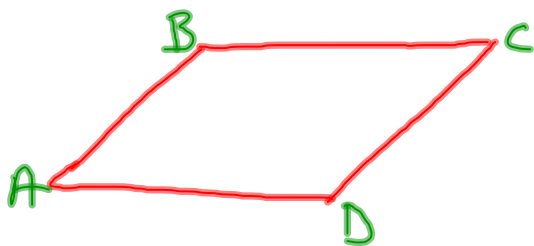
6-2-1: opposite sides of 
are \cong




6-2-2: opposite \angle 's of  are \cong

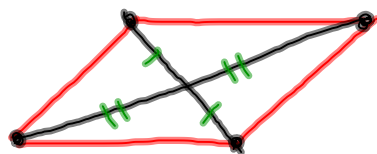


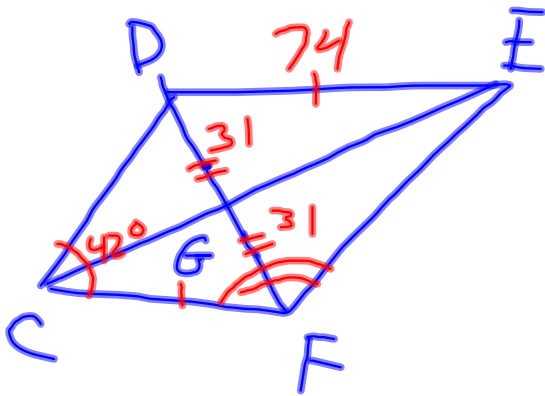
6-2-3: consecutive interior \angle 's of 
are supplementary



$\angle A + \angle D$ are supp.
 $\angle B + \angle C$ " "
 $\angle A + \angle B$ " "
 $\angle D + \angle C$ " "

6-2-4: diagonals of a 
bisect each other.

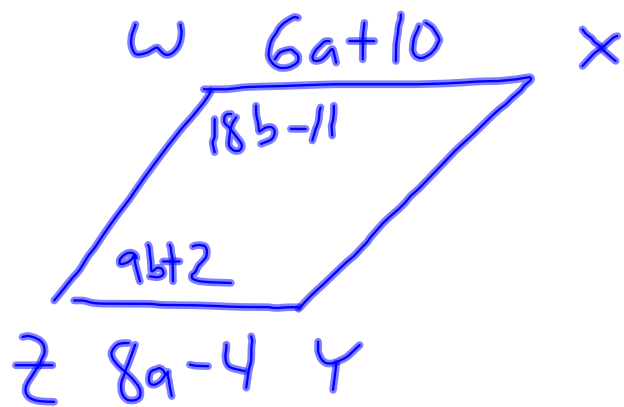




in $\square CDEF$ $DE = 74$, $DG = 31$

$m\angle FCD = 42^\circ$.

a) $CF = 74$ b) $m\angle CFE = 138^\circ$ c) $DF = 62$



$$a) YZ = 8a - 4 = 8(7) - 4 = \textcircled{52}$$

$$\begin{array}{r} 8a - 4 = 6a + 10 \\ -6a \quad -6a \\ \hline \end{array}$$

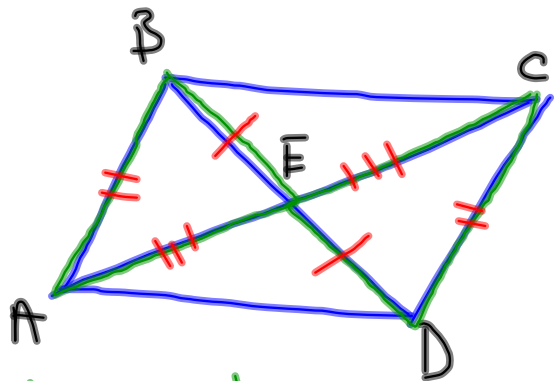
$$\begin{array}{r} 2a - 4 = 10 \\ +4 \quad +4 \\ \hline \end{array}$$

$$\frac{2a}{2} = \frac{14}{2}$$

$$a = 7$$

Given: ABCD is a \square

Prove: $\triangle AEB \cong \triangle CED$



Statement	Reasons
1. ABCD is a \square	1. Given
2. $\overline{BE} \cong \overline{ED}$	2. Diag. of \square bisect each other
3. $\overline{AB} \cong \overline{CD}$	3. opp. side \cong
4. $\overline{AE} \cong \overline{EC}$	4. Diag. of \square bisect each other
5. $\triangle AEB \cong \triangle CED$	5. SSS

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2-42 even
odds + extra credit